

$\log[(Y/\Delta Y) / (Y/\Delta Y)_u]$

HAULAB-Y contrast  
normalized to  $(Y/\Delta Y)_u$

$C_r/C_{ru} = (Y/\Delta Y) / (Y/\Delta Y)_u$

$100L^* = s(Y/Y_n)^n - d \quad (Y_n=100, Y_u=22, s=134,6, n=0,31, d=34,6) \quad [1a]$

$L^* = r(Y/Y_u)^n - d \quad (r = s(Y_u/Y_n)^n = 79,10, L^*_u = r - d = 44,4) \quad [1b]$

Y\_curve, ij=0, Yuij=22, L\*uij=50

k=99, Ykij=100, L\*kij=99,9,  $(Y/\Delta Y) / (Y/\Delta Y)_u = 1,59$

k=22, Ykij=23, L\*kij=50,7,  $(Y/\Delta Y) / (Y/\Delta Y)_u = 1,00$

k=1, Ykij=2, L\*kij=5,4,  $(Y/\Delta Y) / (Y/\Delta Y)_u = 0,47$

k=0, Ykij=1, L\*kij=-2,3,  $(Y/\Delta Y) / (Y/\Delta Y)_u = 0,38$

$m_{nu} = n = 0,310$

$m_u = 0,296$

$L^*_u = 120'$   
 $L^*_u = 390 \text{ cd/m}^2$   
application range  
 $L^*_u = 10^{10}$

-0,418

0,003

$Y_u = 18$  100

