

$L^*_{85,2}/L^*_{85,2u}$ <b>LABJND-Helligkeit <math>L^*_{85,2}</math> normiert für die Umgebungshelligkeit <math>L^*_{85,2u}</math></b> $L^*/L^*_{85,2u}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{85,2u}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{85,2u}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $a=0,3411 \quad b=88,23 \quad Y_u=258,6 \quad b=6,341$ [1d]	$L^*/L^*_{90}$ <b>CIELAB-Helligkeit <math>L^*</math> normiert für die Umgebungshelligkeit <math>L^*_{90}</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{90}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $\log(L^*/L^*_{90}(b))   g   = \log(37Y_u)$ [1d] $\ln(L^*/L^*_{90}(b))   g   = \ln(10) \cdot \log(37Y_u)$ [1e] $(L^*/L^*_{90}(b)   g) = \log(37Y_u)$ [1f]
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$(\Delta Y/Y) / (\Delta Y/Y)_u$ <b>LABJND-Y-Empfindlichkeit normiert für <math>(\Delta Y/Y)_u</math></b> $L^*/L^*_{85,2u}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{85,2u}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] Helmsingens-Y-Kontrast $(dY/Y) / (dY/Y_u)$ $= [(1+a \cdot Y) / Y] / [(1+a \cdot Y_u) / Y_u]$ [3f]	$(\Delta Y/Y) / (\Delta Y/Y)_u$ <b>CIELAB-Y-Empfindlichkeit normiert für <math>(\Delta Y/Y)_u</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $dY/Y = (1/Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y$ [3c] $dY/Y_u = (1/Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y_u$ [3d] $(dY/Y) / (dY/Y_u) = (Y/Y_u)^{1/3}$ [3e] $\log[(dY/Y) / (dY/Y_u)] = (-n) \log(Y/Y_u)$ [3f]
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$L^*/L^*_{90}$ <b>IECsRGB-Helligkeit <math>L^*</math> normiert für die Umgebungshelligkeit <math>L^*_{90}</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{90}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $\log(L^*/L^*_{90}(b)) = n \log(37Y_u)$ [1d] $\ln(L^*/L^*_{90}(b)) = \ln(10) \cdot \log(37Y_u)$ [1e] $L^*/L^*_{90} = e^{n \log(37Y_u)}$ [1f]	$L^*/L^*_{90}$ <b>TUBsRGB-Helligkeit <math>L^*</math> normiert für die Umgebungshelligkeit <math>L^*_{90}</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{90}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $\log(L^*/L^*_{90}(b)) = n \log(37Y_u)$ [1d] $\ln(L^*/L^*_{90}(b)) = \ln(10) \cdot \log(37Y_u)$ [1e] $L^*/L^*_{90} = e^{n \log(37Y_u)}$ [1f]
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$(\Delta Y/Y) / (\Delta Y/Y)_u$ <b>IECsRGB-Y-Empfindlichkeit normiert für <math>(\Delta Y/Y)_u</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $dY/Y = (1/Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y$ [3c] $dY/Y_u = (1/Y_u) \cdot (ns) / (Y_u/Y_u)^{1/3} \cdot Y_u$ [3d] $(dY/Y) / (dY/Y_u) = (Y/Y_u)^{1/3}$ [3e] $\log[(dY/Y) / (dY/Y_u)] = (-n) \log(Y/Y_u)$ [3f]	$(\Delta Y/Y) / (\Delta Y/Y)_u$ <b>TUBsRGB-Y-Empfindlichkeit normiert für <math>(\Delta Y/Y)_u</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $dY/Y = (1/Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y$ [3c] $dY/Y_u = (1/Y_u) \cdot (ns) / (Y_u/Y_u)^{1/3} \cdot Y_u$ [3d] $(dY/Y) / (dY/Y_u) = (Y/Y_u)^{1/3}$ [3e] $\log[(dY/Y) / (dY/Y_u)] = (-n) \log(Y/Y_u)$ [3f]
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$\Delta Y/\Delta Y_u$ <b>LABJND-Normfarbwertdifferenz <math>\Delta Y</math> normiert für <math>\Delta Y_u</math></b> $L^*/L^*_{85,2u}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{85,2u}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] Normierte Normfarbwert-Y-Differenz $dY/\Delta Y_u = (1+a \cdot Y) / (1+a \cdot Y_u)$ [3d]	$\Delta Y/\Delta Y_u$ <b>CIELAB-Normfarbwertdifferenz <math>\Delta Y</math> normiert für <math>\Delta Y_u</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{90}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $dY = (Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y$ [2c] $dY_u = (Y_u) \cdot (ns) / (Y_u/Y_u)^{1/3} \cdot Y_u = 1,4602$ [2d] $(dY/dY_u) = (Y/Y_u)^{1/3}$ [2e] $\log(dY/dY_u) = (-n) \log(Y/Y_u)$ [2f]
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$(Y/\Delta Y) / (Y/\Delta Y)_u$ <b>LABJND-Y-Kontrast normiert für <math>(Y/\Delta Y)_u</math></b> $L^*/L^*_{85,2u}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{85,2u}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] Helmsingens-Y-Kontrast $(dY/Y) / (Y_u/\Delta Y_u)$ $= [Y / (1+a \cdot Y)] / [Y_u / (1+a \cdot Y_u)]$ [4b]	$(Y/\Delta Y) / (Y/\Delta Y)_u$ <b>CIELAB-Y-Kontrast normiert für <math>(Y/\Delta Y)_u</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{90}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $dY/\Delta Y = (1/Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y$ [4c] $(Y/\Delta Y)_u = Y_u / (1/Y_u) \cdot (ns) / (Y_u/Y_u)^{1/3} \cdot Y_u$ [4d] $(Y/\Delta Y) / (dY/\Delta Y_u) = (Y/Y_u)^{1/3}$ [4e] $\log[(Y/\Delta Y) / (dY/\Delta Y_u)] = (n) \log(Y/Y_u)$ [4f]
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$\Delta Y/\Delta Y_u$ <b>IECsRGB-Normfarbwertdifferenz <math>\Delta Y</math> normiert für <math>\Delta Y_u</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{90}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $dY = (Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y = 1,1746$ [2c] $dY_u = (Y_u) \cdot (ns) / (Y_u/Y_u)^{1/3} \cdot Y_u = 1,0934$ [2d] $(dY/dY_u) = (Y/Y_u)^{1/3}$ [2e] $\log(dY/dY_u) = (-n) \log(Y/Y_u)$ [2f]	$\Delta Y/\Delta Y_u$ <b>TUBsRGB-Normfarbwertdifferenz <math>\Delta Y</math> normiert für <math>\Delta Y_u</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{90}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $dY = (Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y$ [2c] $dY_u = (Y_u) \cdot (ns) / (Y_u/Y_u)^{1/3} \cdot Y_u = 1,0934$ [2d] $(dY/dY_u) = (Y/Y_u)^{1/3}$ [2e] $\log(dY/dY_u) = (-n) \log(Y/Y_u)$ [2f]
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$(Y/\Delta Y) / (Y/\Delta Y)_u$ <b>IECsRGB-Y-Kontrast normiert für <math>(Y/\Delta Y)_u</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{90}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $dY/\Delta Y = (1/Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y$ [4c] $(Y/\Delta Y)_u = Y_u / (1/Y_u) \cdot (ns) / (Y_u/Y_u)^{1/3} \cdot Y_u$ [4d] $(Y/\Delta Y) / (dY/\Delta Y_u) = (Y/Y_u)^{1/3}$ [4e] $\log[(Y/\Delta Y) / (dY/\Delta Y_u)] = (n) \log(Y/Y_u)$ [4f]	$(Y/\Delta Y) / (Y/\Delta Y)_u$ <b>TUBsRGB-Y-Kontrast normiert für <math>(Y/\Delta Y)_u</math></b> $L^*/L^*_{90}(0a) \ln(1+a \cdot Y) - \ln(1+a \cdot Y_u)$ [1a] $L^*/L^*_{90}(0b) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1b] $L^*/L^*_{90}(0c) \ln[1+b \cdot (Y/Y_u)^{1/3}] - \ln(1+b)$ [1c] $dY/\Delta Y = (1/Y_u) \cdot (ns) / (Y/Y_u)^{1/3} \cdot Y$ [4c] $(Y/\Delta Y)_u = Y_u / (1/Y_u) \cdot (ns) / (Y_u/Y_u)^{1/3} \cdot Y_u$ [4d] $(Y/\Delta Y) / (dY/\Delta Y_u) = (Y/Y_u)^{1/3}$ [4e] $\log[(Y/\Delta Y) / (dY/\Delta Y_u)] = (n) \log(Y/Y_u)$ [4f]
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